

# **The Implications of Consumption Sharing vs. Individualism in the Family**

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NTA6: Sixth Annual National Transfer Accounts  
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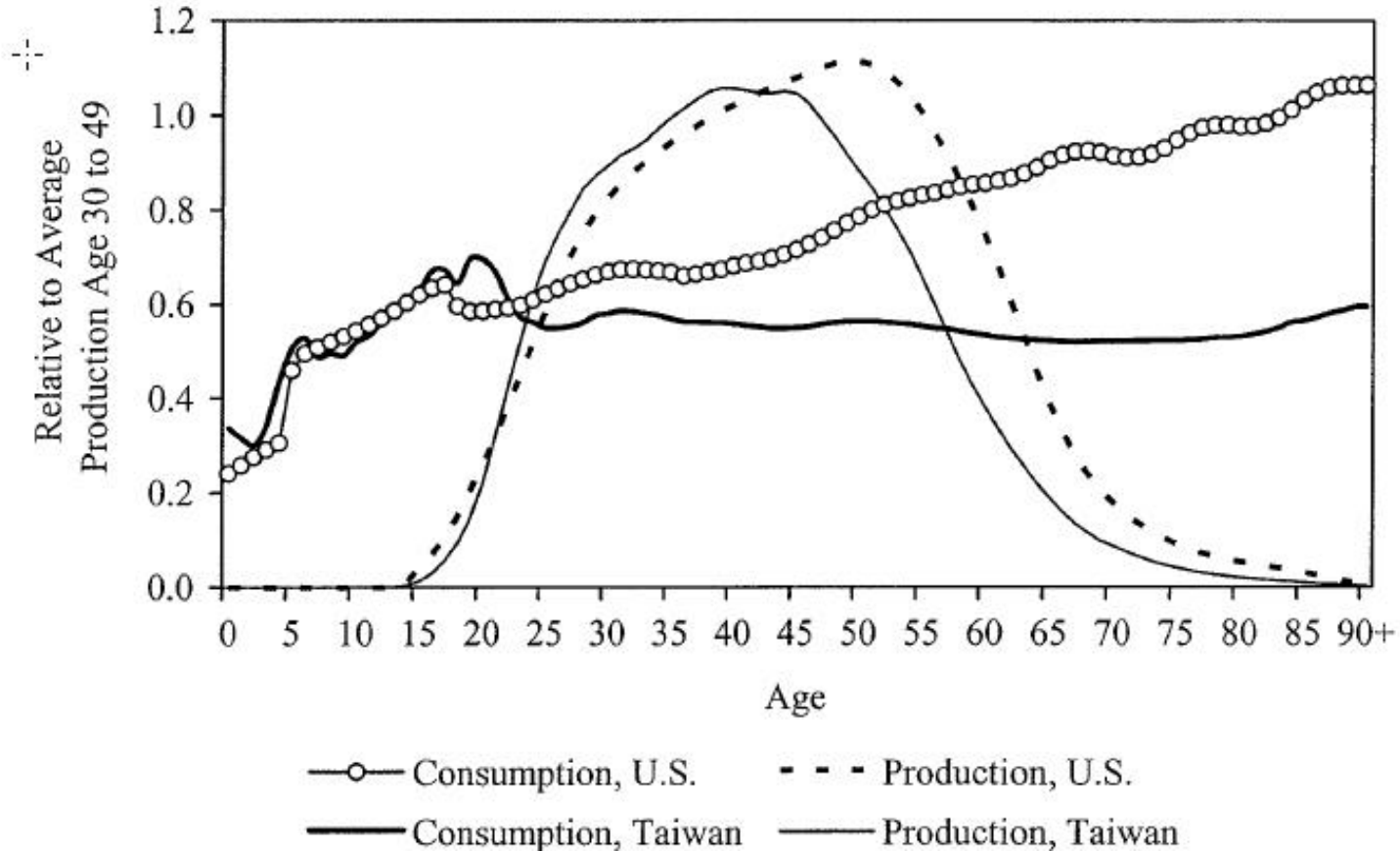
# Family Income Sharing

“In non-rich countries except for Uruguay consumption is approximately constant (flat) from age 25 or so until the end of life. **We believe this reflects familial income sharing with co-resident elderly.** The richest countries with complete accounts (US, Sweden, Japan) all have strongly upward sloping consumption age profiles, mainly reflecting in-kind public transfers of health care and long term care.”

*R37-Progress Report*

# Flat Age-Consumption Profiles Characterize Asian Countries, Upward Sloping for US and other Western Countries

Figure 2: Lifecycle of Production and Consumption, Per Capita, U.S. 2000 and Taiwan 1998



# From R37 Progress Report

By real GDP pc

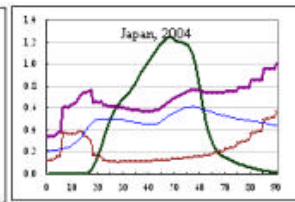
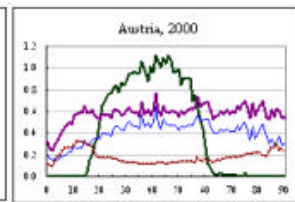
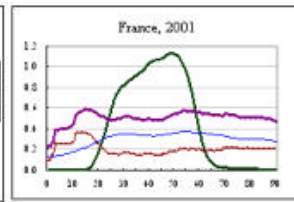
US

France

Sweden

Austria

Japan



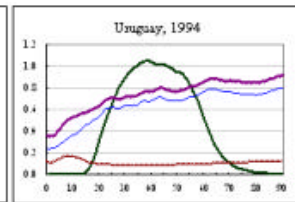
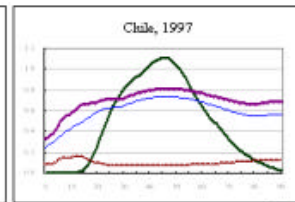
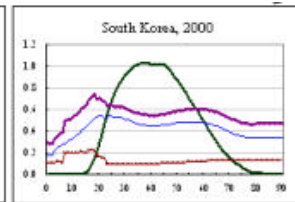
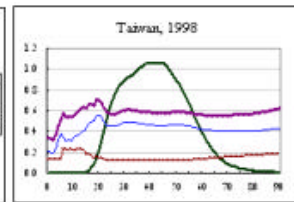
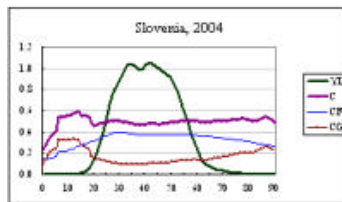
Slovenia

Taiwan

S. Korea

Chile

Uruguay



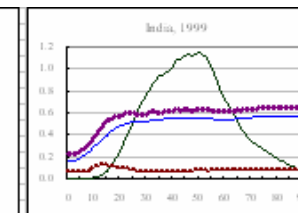
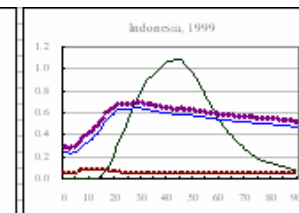
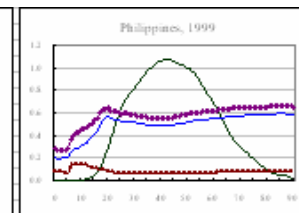
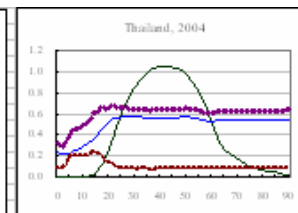
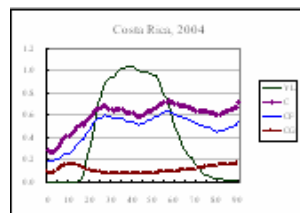
Costa Rica

Thailand

Philippines

Indonesia

India



# Intra-family sharing vs. individual utility maximization

Consider two period Samuelson Model with zero population growth:

$C_1 = \text{consumption of worker or son}$

$C_2 = \text{consumption of retiree or parent}$

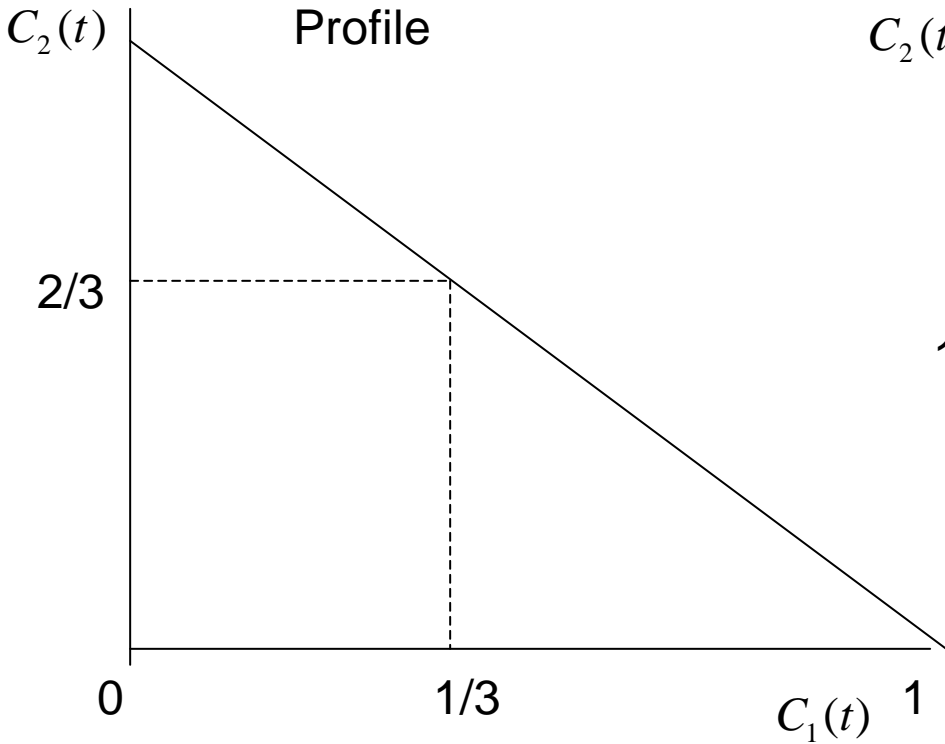
$(Y_1(t), Y_2(t)) = (1, 0) = \text{cross section age income profile}$

$Y_1(t+1) = Y_2(t)(1+g)$  productivity growth of  $g$  percent per generation

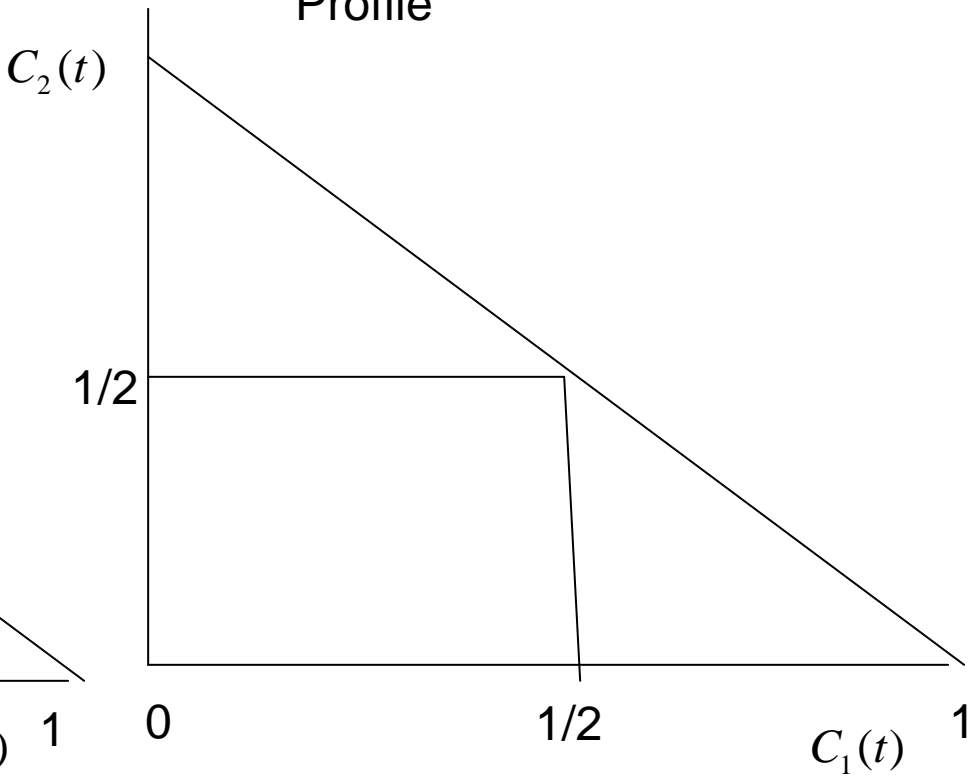
$U_t = U(C_1(t), C_2(t+1)) = \text{lifetime utility of person in cohort } t$

# Cross-Section Age-Consumption Profiles: High Growth Asia vs. Low Growth West

**West:** Upward  
Sloping Age-Consumption  
Profile



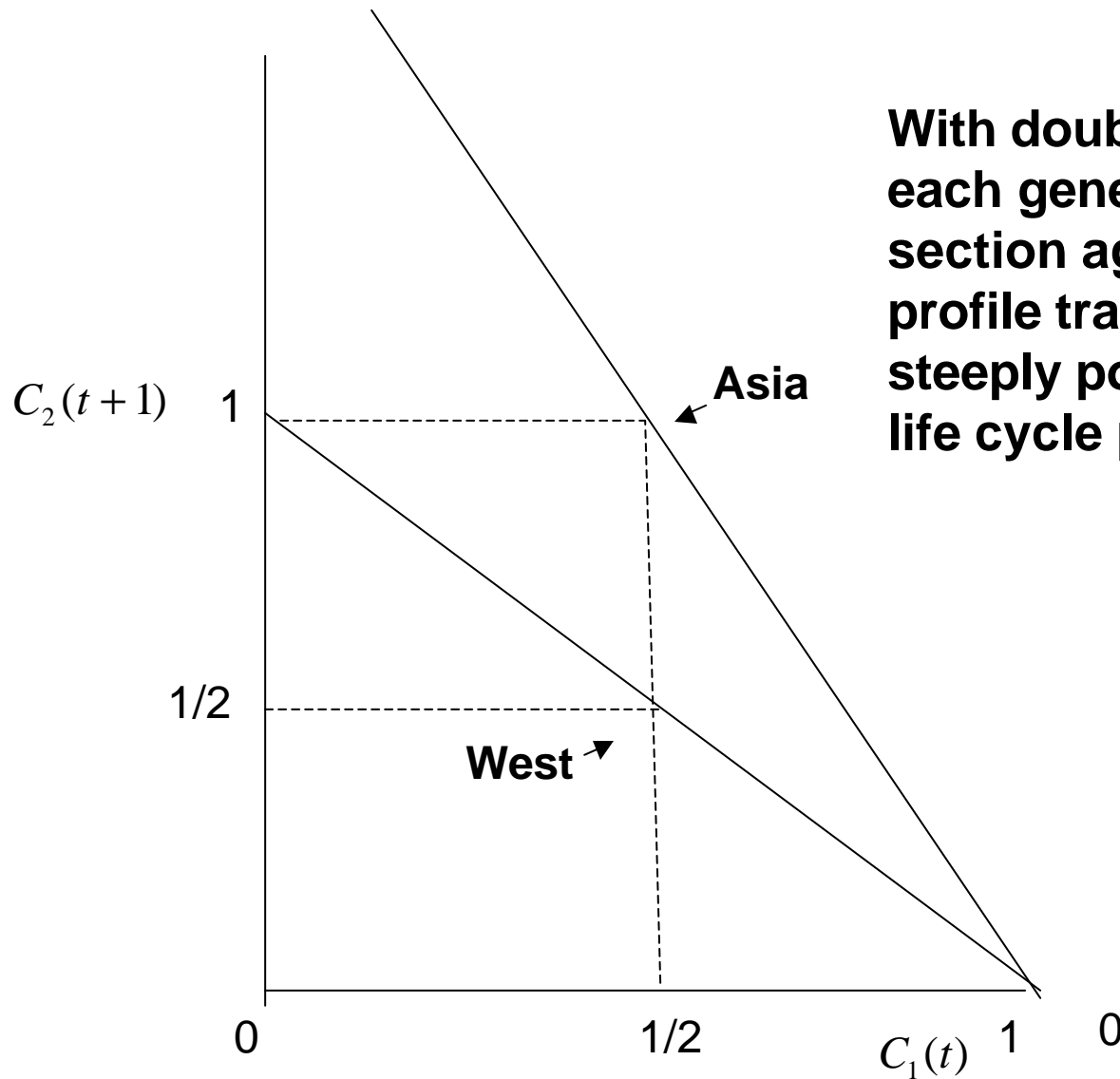
**Asia:** Flat Age-Consumption  
Profile



# Longitudinal Profiles

- In two-period model, assume that West has zero productivity growth and Asia productivity doubles each generation

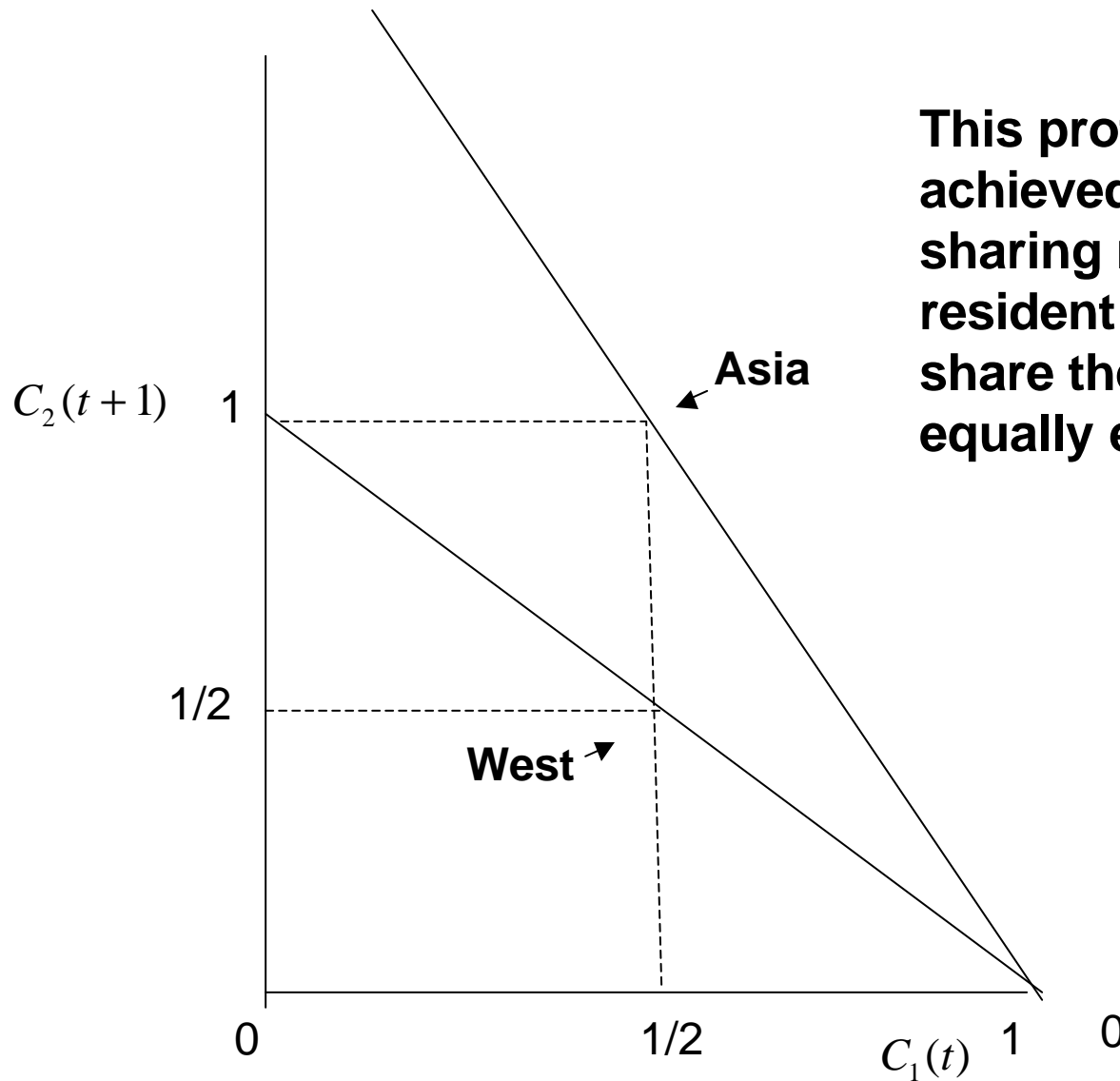
# Longitudinal Age-Consumption Profiles: High Growth Asia vs. Low Growth West



**With doubling of productivity each generation, a flat cross-section age-consumption profile translates into a steeply positive longitudinal life cycle profile**

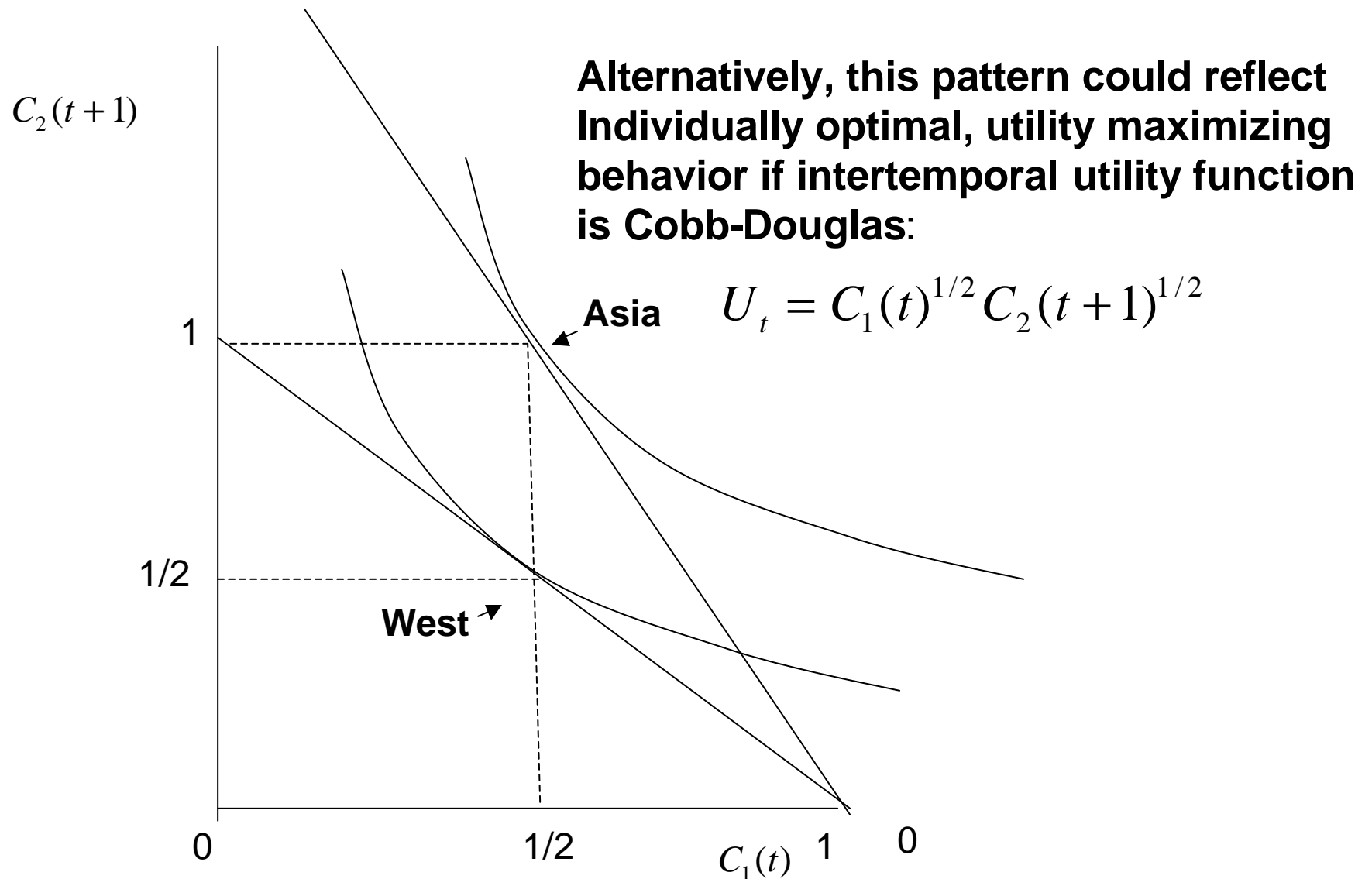


# Longitudinal Age-Consumption Profiles: High Growth Asia vs. Low Growth West



**This profile could be achieved by a family sharing rule in which a co-resident father and son share their current income equally each period**

# Cross-Section Age-Consumption Profiles: High Growth Asia vs. Low Growth West



# Individually Optimal Age-Consumption Profiles in High Growth Asia

- More generally, note that a Cobb-Douglas utility function with equal weight on consumption at each age will generate flat cross-section consumption profiles and longitudinal profiles with a slope equal to the  $1 + \text{growth rate}$ 
  - In Taiwan, where lifetime incomes have grown 5-fold, such consumption profiles would be very steep, indeed
- However, such a utility function implies a far higher intertemporal elasticity of substitution than is plausible
- With more reasonable values of the IES, we would expect to see negatively sloped cross-section consumption profiles in rapidly growing countries if families were organized to maximize expected lifetime utility of family members

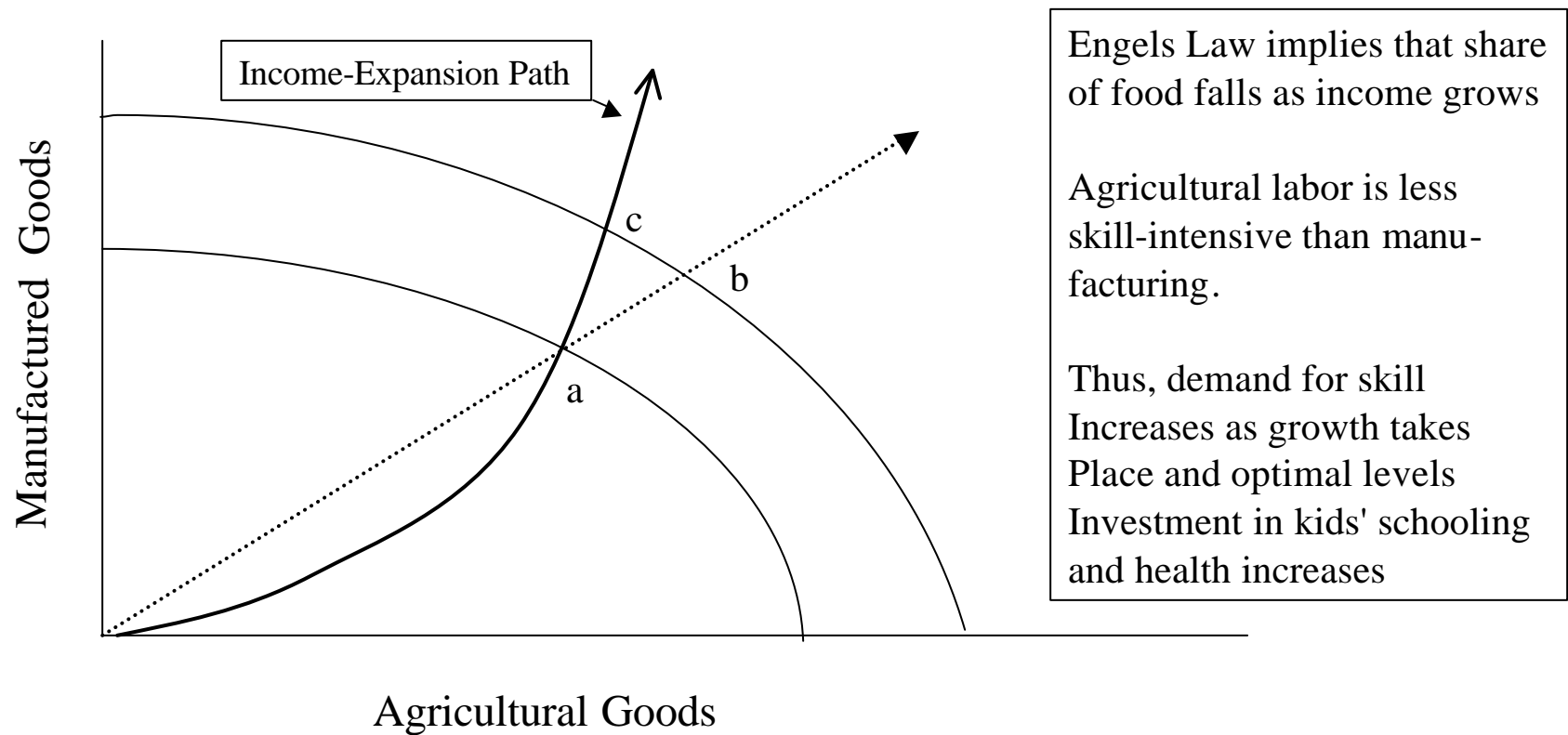
# Intrafamily Sharing

- Lee, Mason, et. al. suggest the alternative hypothesis that inter-generationally co-resident families share income can account for flat consumption profiles
- I will suggest that this sharing pattern may play a functional role in promoting human capital investment in a world in which the returns to investment are high, albeit uncertain

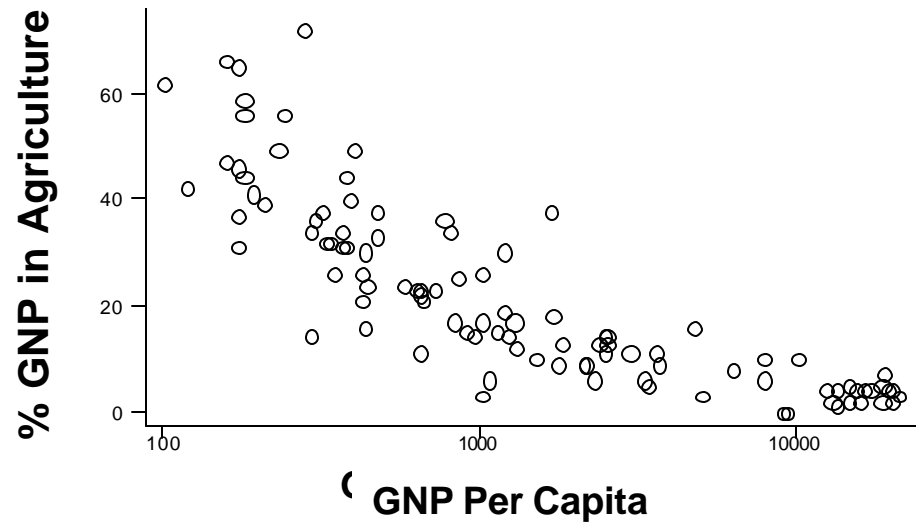
# Economic Growth Leads to Changing Structure of Economy

- Shift from agriculture to manufacturing
- Increase in demand for skilled labor
- Incentive for families to increase investment in human capital of children

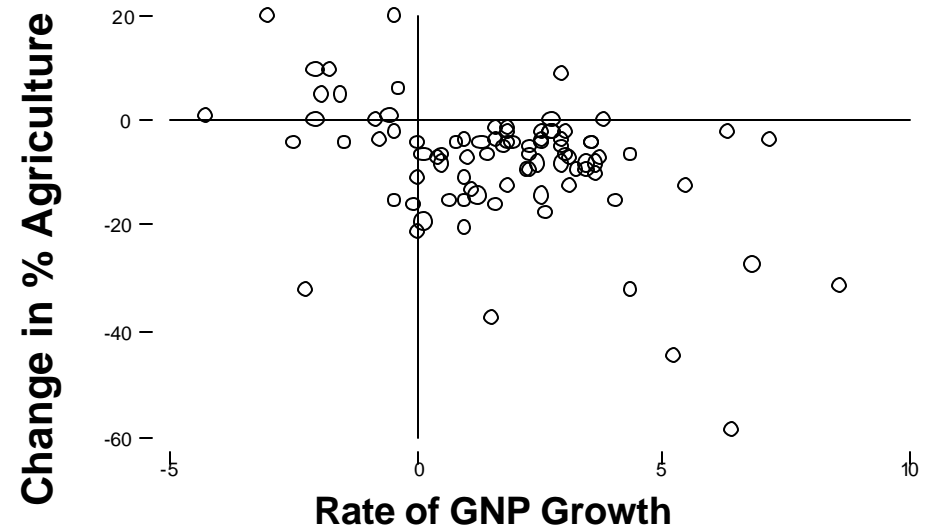
# Engels Law: Effect of Productivity Change on Demand for Food and Manufactures and Implications for Returns to Skill



## Cross Section of Countries, 1988



## Change in Agriculture Share vs. Income Growth, 1965-1988

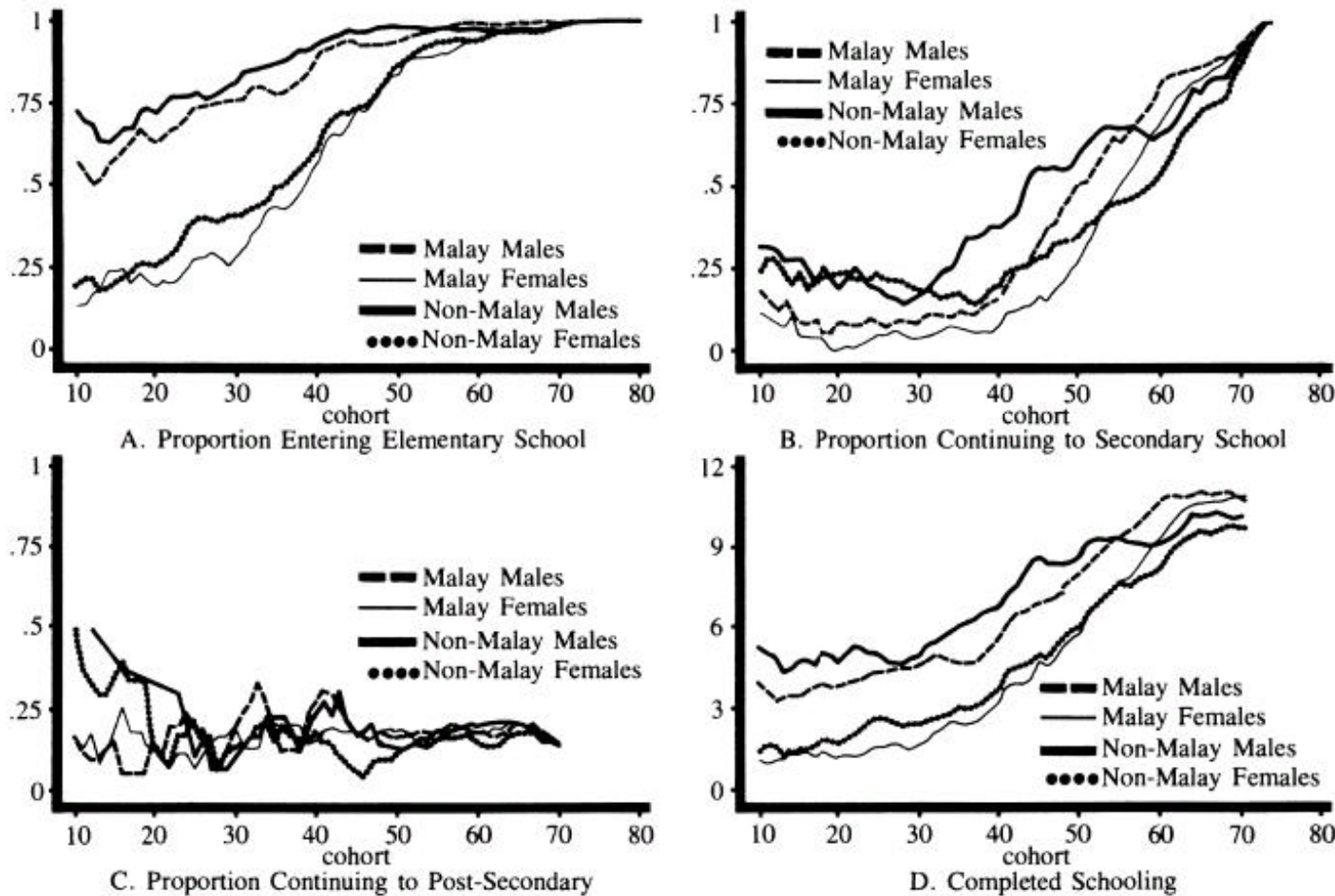


**Illustration of Engels Law:** Income reduces demand for agriculture.

- reduces fraction of labor force in agriculture and increases fraction in manufacturing and, ultimately, in service sector
- raises the relative skill intensity of labor demand and returns to education and other investments in human capital
- induces increase in child quality, reduction in fertility.

Source: R. J. Willis (1994), "Economic Analysis of Fertility: Micro-Foundations and Aggregate Implications," In K. Kiessling and H. Landberg, eds. *Population, Economic Development and the Environment*. Oxford.

# Cohort Educational Trends by Race and Sex in Malaysia



**Figure 1**  
Trends in Education by Race and Sex

Source: Lillard and Willis, (1994) "Intergenerational Family Mobility: Effects of Family and State in Malaysia," *Journal of Human Resources*.



# Motives for Intergenerational Transfers

L.A. Lillard and R.J. Willis, (1997) "Motives for Intergenerational Transfers: Evidence from Malaysia," *Demography*

- **Old Age Security Hypothesis**
- **Parental Repayment Hypothesis**
- Risk and Insurance
- Altruism Hypothesis
- Exchange Motive
- Bargaining Power in Household
- Gender Differences

# Becker-Tomes Model

G.S. Becker and N. Tomes (1976) "Child Endowments and the Quality and Quantity of Children,"  
*Journal of Political Economy*, (4, Part 2): S279-S288.

Two period life cycle, overlapping generation structure  
 t = parents marry, bear children, invest in kid's human capital  
 t+1 = parents enter "old age", kid's marry and bear their own children

(1) ,

Parent's budget in period t

$$y_t^P = c_t^P + s_t + p n_t h_t$$

Parent's income
Parent's consumption
monetary saving
Price of children  
Number of children  
Human capital investment/kid

Parent's budget in period t+1

$$c_{t+1}^P = y_{t+1}^P + (1+r)s_t - n_t T_t$$

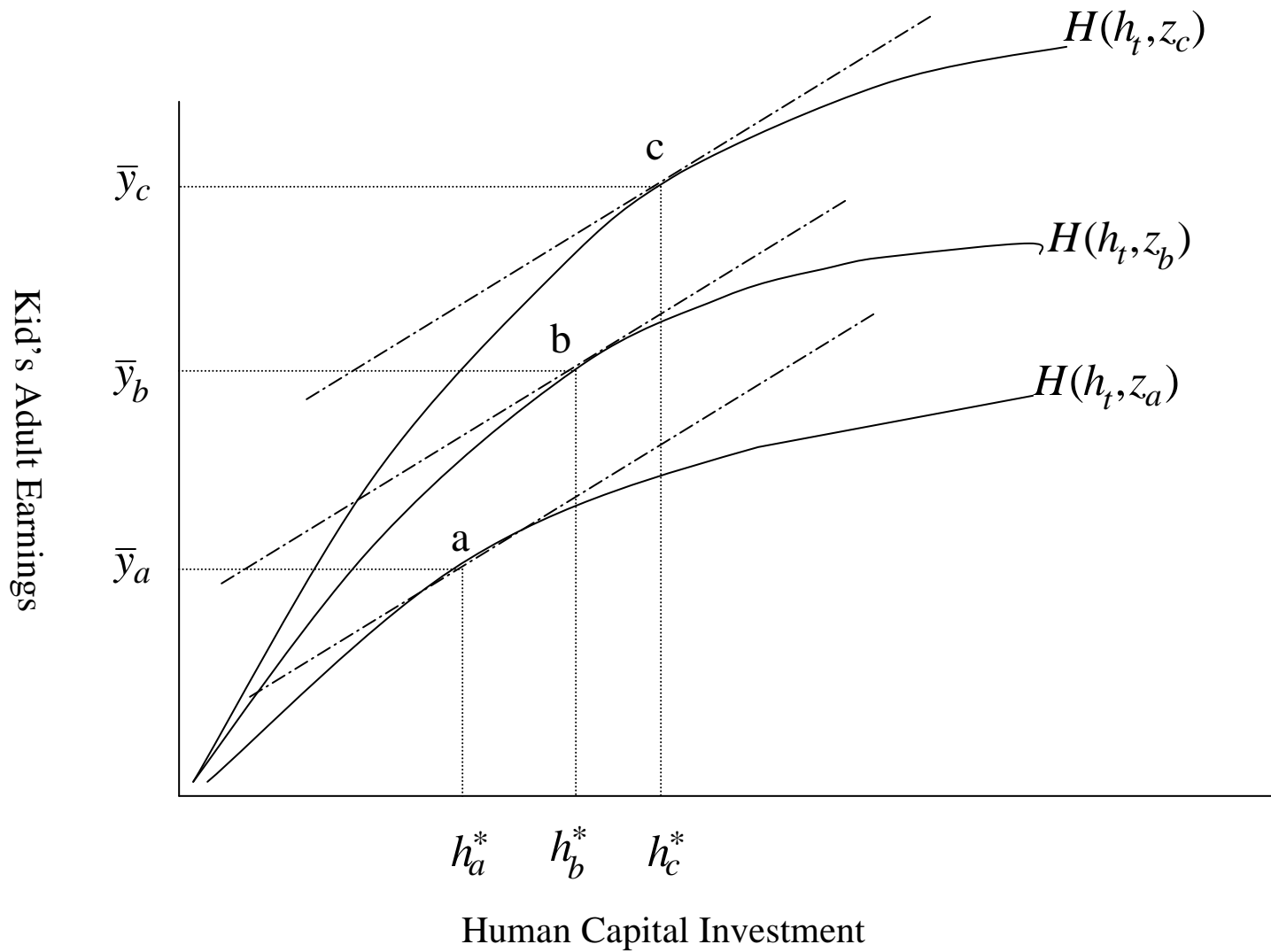
Parent's old age consumption
Parent's income
Return on saving
Transfer to/from Children  
(bequest or old age support)

Kid's human capital production function

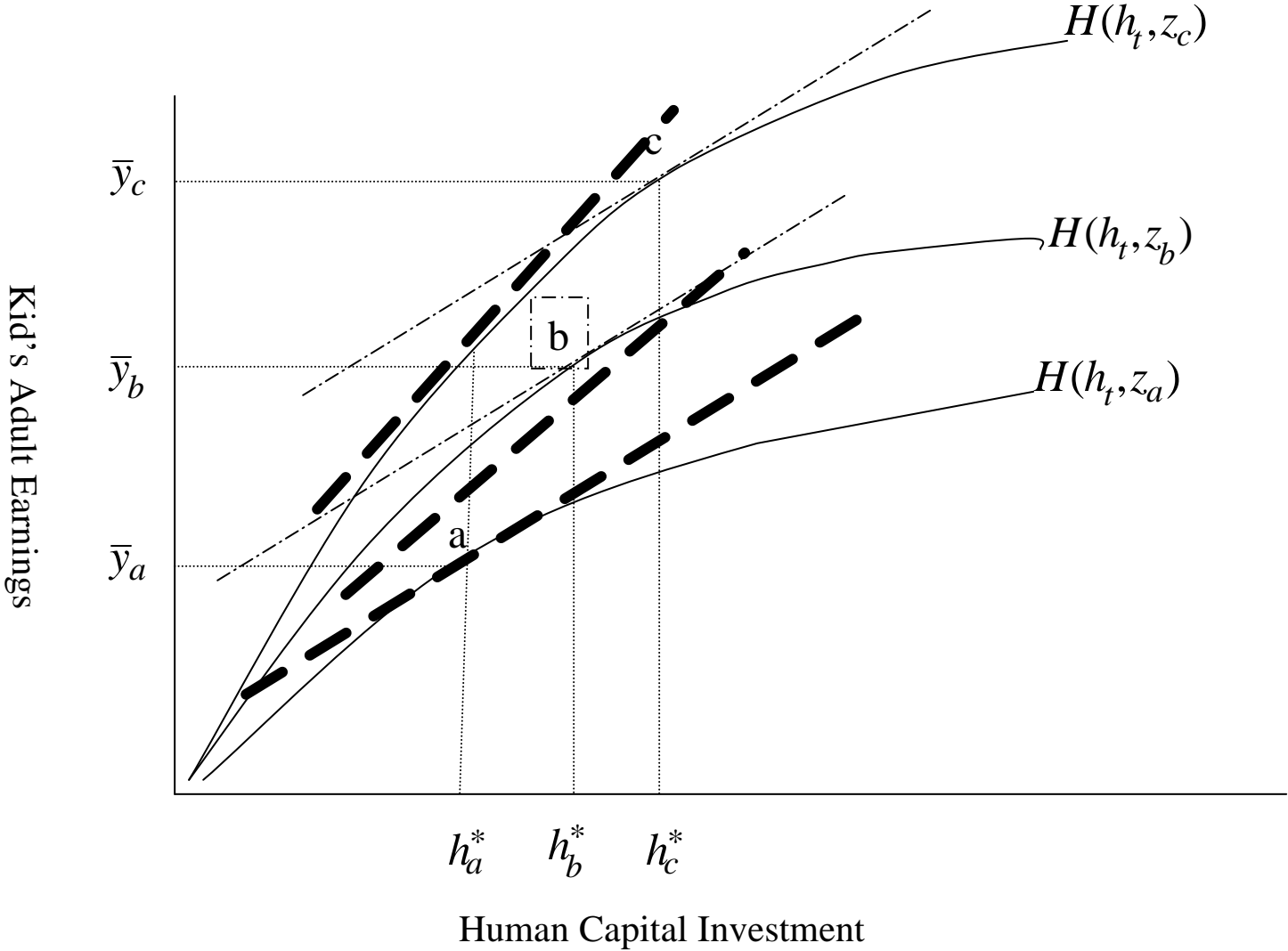
$$y_{t+1}^k = H(h_t, z_t)$$

Kid's adult income
Investment in child
Productivity shifters  
e.g., ability, technology, school quality

Figure 1: Optimal Investment in Children's Human Capital



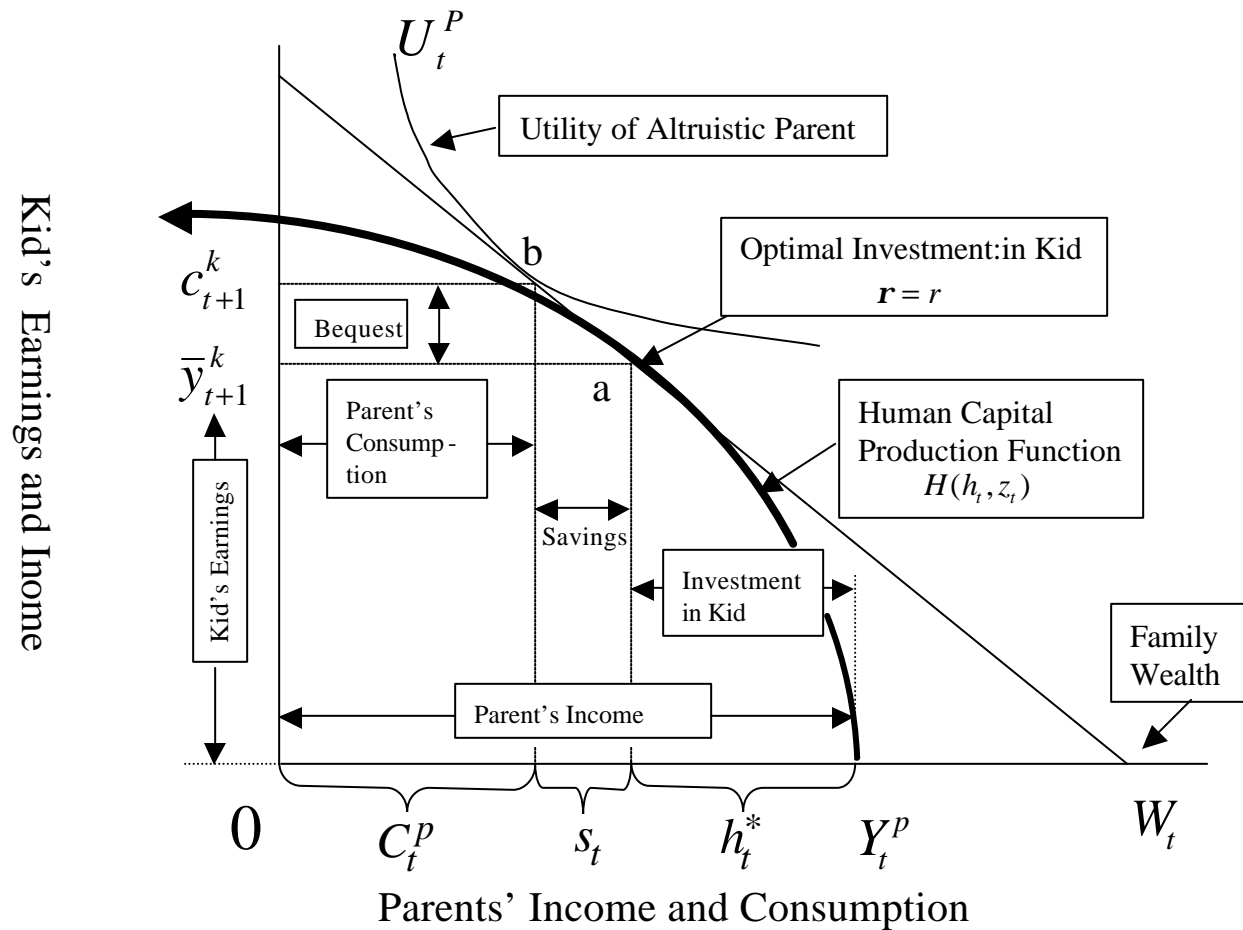
# Credit Rationing: Increasing Marginal Return and Larger Deviation from Optimal Allocation as HC Productivity Increases



## Two Stage Maximization: Separation of Consumption and Investment Decisions

- Stage 1: Choose investment in children so as to maximize present value of lifetime earnings
  - Equate Marginal Rate of Return to Interest Rate
- Stage 2: Choose consumption for all family members subject to (maximized) family wealth constraint

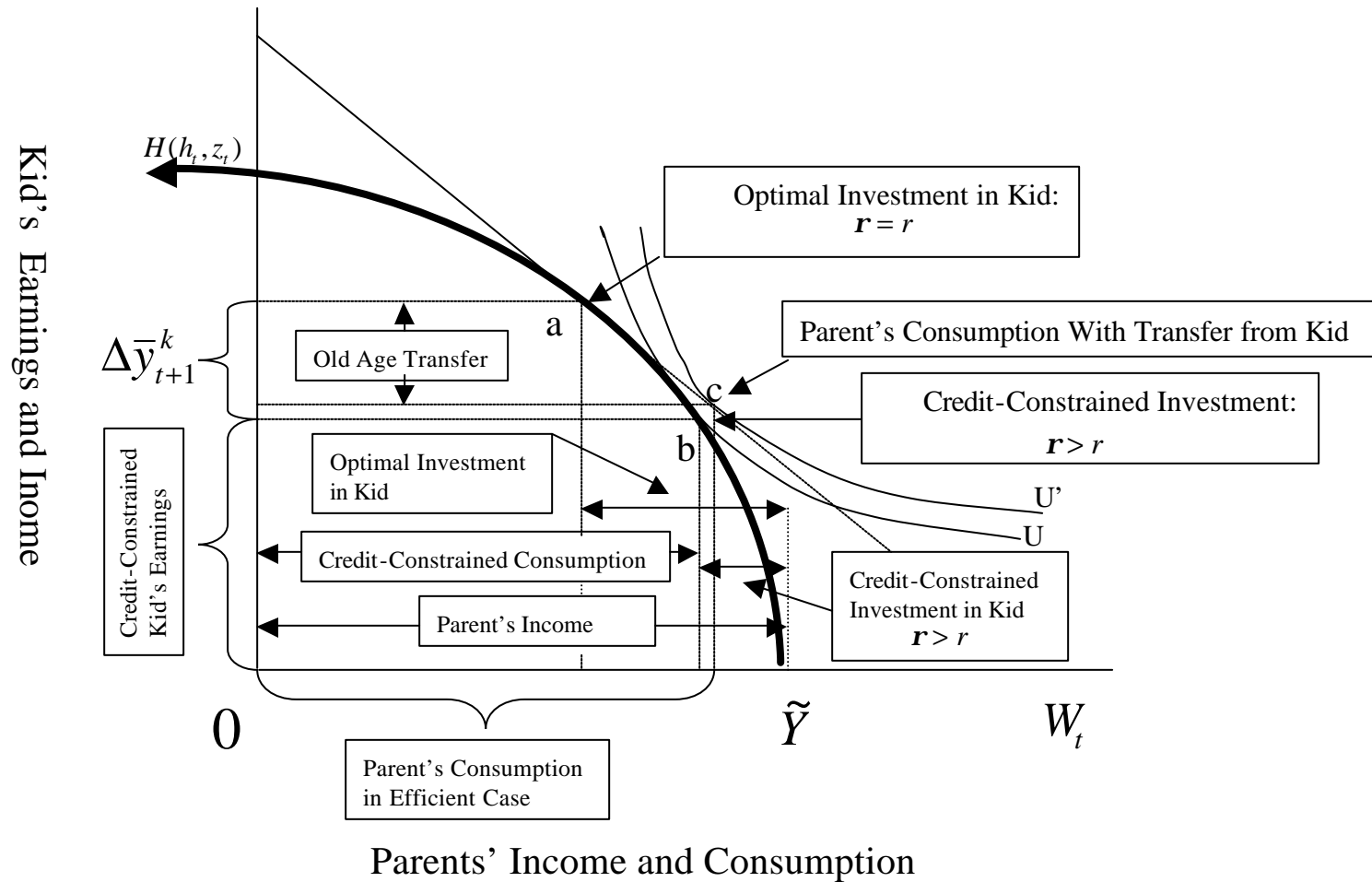
Figure 2: Parental Investment in Kid's Human Capital: Family Wealth Maximization with Bequests



# Parental Sacrifice in High Growth/High HC Return Situations

- High human capital investment may require parents to reduce personal consumption below individually optimal level
  - This pressure may be alleviated by public finance of education
  - Failing this, implicit borrowing/lending within family
    - May take the form of intergenerational sharing of family income

Figure 3: Parental Investment in Human Capital: Credit Constrained Case vs. Parental Repayment





## Summary:

### Family Sharing of Current Income

- Creates mechanism for repayment of investments—devote investment to highest return activity without concern about who will get income
- Also creates mechanism for sharing of risks
- Facilitates separation of consumption and investment decisions